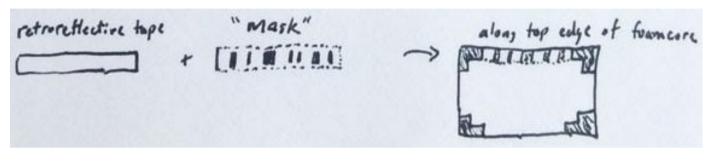
Retroreflective Bar Codes Bret, Toby







Trackmate (Under the table tracking) Adam Kumpf

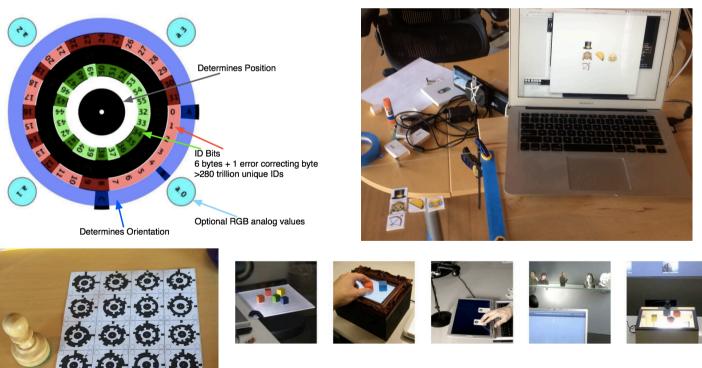
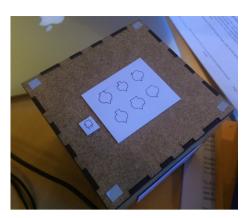


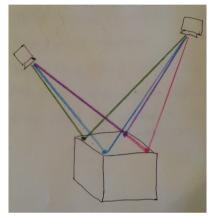
Figure 4-10: Five ways to build Trackmate. From left to right: Portable Plexi Cliffhanger, Classy Hardwood Curio, Overhead LCD Overture, Simple Floating Shelf, and the Basic Basswood Boxcar.

Retroreflective Markers Toby

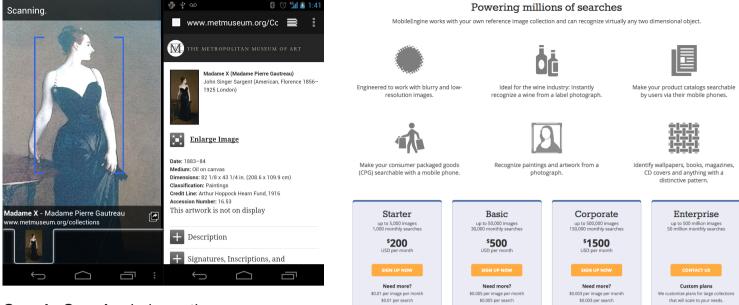












Google Goggles indexes the

Metropolitan Museum of Art's collection. Search by taking a photo on your phone.

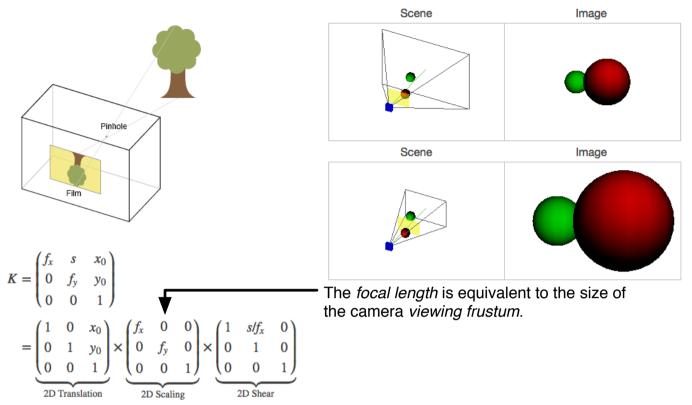
TinEye MobileEngine

Query by image as a service.

We also provide ta consulting service

The Intrinsic Camera Matrix

Properties internal to the camera, doesn't change if you move the camera.

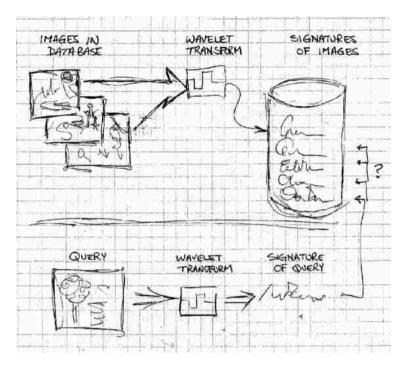


The Extrinsic Camera Matrix

Where the camera is in space and the direction it's pointing, relative to some absolute coordinate system.

$$\begin{bmatrix} \begin{matrix} R & | t \\ \hline 0 & | 1 \end{matrix} \end{bmatrix} = \begin{bmatrix} \begin{matrix} I & | t \\ \hline 0 & | 1 \end{matrix} \end{bmatrix} \times \begin{bmatrix} \begin{matrix} R & | 0 \\ \hline 0 & | 1 \end{matrix} \end{bmatrix}$$
$$= \begin{bmatrix} 1 & 0 & 0 & | t_1 \\ 0 & 1 & 0 & | t_2 \\ \hline 0 & 0 & 1 & | t_3 \\ \hline 0 & 0 & 0 & | 1 \end{bmatrix} \times \begin{bmatrix} r_{1,1} & r_{1,2} & r_{1,3} & 0 \\ r_{2,1} & r_{2,2} & r_{2,3} & 0 \\ \hline r_{3,1} & r_{3,2} & r_{3,3} & 0 \\ \hline 0 & 0 & 0 & | 1 \end{bmatrix}$$

Fast Multiresolution Image Querying Charles E. Jacobs, Adam Finkelstein, David H. Salesin



Query by Content



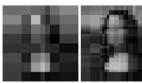


Painted

Scanned

Target

The Wavelet Transform



Original (16,000 coeffs)

20 coeffs

100 coeffs

400 coeffs



LightBlue Bean for object movement detection Toby

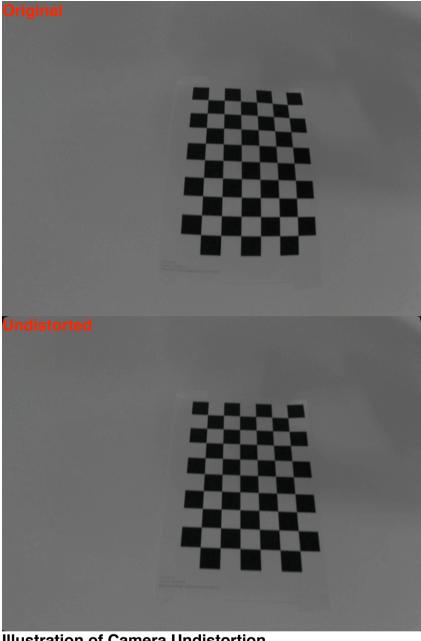


Illustration of Camera Undistortion

Shape Matching and Object Recognition Using Shape Contexts

Serge Belongie, Jan Puzicha

Shapes (e.g. handwritten letters) are resampled as points along their outline. These points are placed on a log-polar "grid" (c) and a histogram is taken. This histogram is used to match against reference shapes. (Note: the shape is moved around on the grid to find the best alignment. Each point in the shape is tried out as a center point.) Once an alignment is found, a correspondence between points can be found (g). This correspondence is assigned a "distance" based on how much it needs to distort the shape.

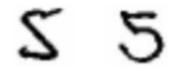


Fig. 1. Examples of two handwritten digits. In terms of pixel-to-pixel comparisons, these two images are quite different, but to the human observer, the shapes appear to be similar.

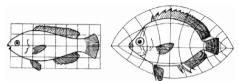
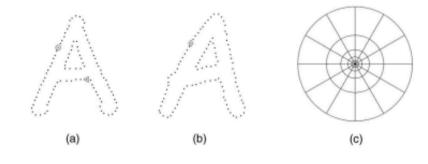


Fig. 2. Example of coordinate transformations relating two fish, from D/Arcy Thompson's On Growth and Form [55]. Thompson observed that similar biological forms could be related by means of simple mathematical transformations between homologous (i.e., corresponding) features. Examples of homologous fautures include centre of eye, tig of dorsal fin, etc.



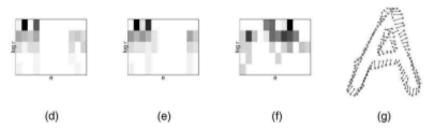


Fig. 3. Shape context computation and matching. (a) and (b) Sampled edge points of two shapes. (c) Diagram of log-polar histogram bins used in computing the shape contexts. We use five bins for $\log r$ and 12 bins for θ . (d), (e), and (f) Example shape contexts for reference samples marked by $\circ, \diamond, \triangleleft$ in (a) and (b). Each shape context is a log-polar histogram of the coordinates of the rest of the point set measured using the reference point as the origin. (Dark=large value.) Note the visual similarity of the shape contexts for \circ and \diamond , which were computed for relatively similar points on the two shapes. By contrast, the shape context for \triangleleft is quite different. (g) Correspondences found using bipartite matching, with costs defined by the χ^2 distance between histograms.